1. On the horizontal plane is a pair of parallel metal rails 2.5 m apart whose left ends are connected to a resistor of resistance $R = 2 \Omega$ as depicted in the figure. Sliding friction-lessly on the rails is a conducting bar. The resistances of the rails and the bar are negligible. A uniform magnetic field of a certain intensity B into the page is applied as illustrated in the figure.

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(a) When you pull the bar with force 1.2 N horizontally, you realize a motion of the metal bar with a constant speed and simultaneously observe a current 12 A flowing in the direction of the arrow through the resistor. Find the intensity of the magnetic field B. [5]

We should try the force and the power balance: F = ILB, power balance: $vF = I^2 R$. Obviously, the force relation is enough.

B = F/IL = 1.2/12x2.5 = 0.04 T.

(b) Determine the velocity (magnitude and direction!) of the bar. [5]

You could use the power balance. Or motional emf, since you know B now: LvB = RI

power: v = $I^2R/F = 12^2x^2/1.2 = 240 \text{ m/s}$. motional emf: v = $RI/LB = 2 \times 12/2.5 \times 0.04 = 240 \text{ m/s}$, of course. **2**. Unpolarized light of intensity I_0 is incident on a linear polarizer at P from left as depicted in the figure.



If = (10/2) (cos 30 cos 60)² = (3/32)10 = 0.09375 I0