Name: $\qquad$ Section: $\qquad$ Score: $\qquad$ /20

1. On the horizontal plane is a pair of parallel metal rails 3 m apart which are connected at the right end to switch S as shown in the figure. A conducting bar with resistance $R=10$ $\Omega$ between the rails is mounted on the rails as illustrated. A uniform magnetic field $B=1.2$ T out of this page is imposed as illustrated.

(a1) Initially, the switch is closed, and the metal bar is horizontally pulled by a force of $F=10 \mathrm{~N}$ as shown in the figure. What is the speed $v$ of the bar when it moves at a constant velocity? [Hint: determine the currentusing the force balance. Then, use the power balance.] [5]
power balance Fv=1^2R = V^2/R
force balance F = ILB
What do we know? $L=3, B=1.2, R=10, \mathrm{~F}=10$,
We want $\mathrm{V}=\mathrm{I}^{\wedge} 2 \mathrm{R} / \mathrm{F}=(\mathrm{F} / \mathrm{LB})^{\wedge} 2 \mathrm{R} / \mathrm{F}=\mathrm{FR} /(\mathrm{LB})^{\wedge} 2=10 \times 10 / 3.6 \wedge 2=7.7 \mathrm{~m} / \mathrm{s}$
emf $=\operatorname{LvB}->F v=(L v B)^{\wedge} 2 / R$ is wiser to get the above formula.
(a2) Does the current flowupward or downward through the metal bat in the figure. Draw the arrow in the figure indicating the positive current direction. [2]
(b) Now, we open the switch. What force do you need to keep the speed obtained in (a)? [3]
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No dissipation 0, of course!
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2. Unpolarized light of intensity $I_{0}$ is incident on a series of 5 linear polarizers, each with its transmission axis tilted by the same angle $21^{\circ}$ relative to the preceding polarizer as illustrate below.

| $0->I 0 / 2$ (unpolarized |
| :--- |
| case) |
| Malus tells us |
| $I=I 0 \cos ^{\wedge} 2$ theta |


(1) What is the direction of the electric field of the light conning out from these polarizer bank? Describe it or indicate it in the figure. [5]

Its polarization plane is parallel to the last transmission axis.
(2) What is the intensity $I_{f}$ of the outgoing light in terms of $I_{0}$, the intensity of the incident unpolarzed light? [5]

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Behind the first polarizer IO -> IO/2, because the incident light is unpolarized.
After this the light is linearly polarized.
    (I0/2) ( }\mp@subsup{\operatorname{cos}}{}{\wedge}2 19)^8 = 0.319 IO.
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